

# MATLAB

## Dates and Data

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**STUDY CENTER  
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- **Importing Data**
- **Dates and Time**
- **Plots and Graphs**
- **Econometrics Toolbox**

- **Importing Data**
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- Can import `xls`, `csv`, `txt`
- Use Data Import Wizard (Menu `File -> Import Data`)
- Or general purpose function: `importdata`
- Other high level functions `xlsread`, `xlswrite`, `dlmread`, `dlmwrite`
- Lower level: `fopen` and parse with `textscan`  
(very powerful, see my freadread package at <http://www.elmarmertens.ch>)
- Matlab's own format: `load save` (can also handle ASCII, see `doc save`)

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## Date Numbers

$$\underbrace{YYYYYY}_{\text{day count}}.\underbrace{TTTTTT}_{\text{time}}$$

- MATLAB day 1 is 1 Jan 0 AD
- Excel day 1 is 31 Dec 1899 (most versions)
- `m2xdate`, `x2mdate`

## Useful commands

- `datenum`, `datestr`, `datevec`
- For labeling plots: `datetick`

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- `datetime`, `datestr`, `datevec`
- For labeling plots: `datetick`
- System time: `clock`, `now`, e.g. to display current time  
`datestr(now)`
- Set stopwatch timer: `tic`
- Get stopwatch time: `toc`  
(See also `profile` for in-depth performance analysis)



## find

**“Find indices of nonzero elements”**

```
ret = [10 -5 -2 8];  
find(ret>0) % yields [1 4]
```

**find**

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```

**Application: Last 5 Trading Days in Dec 2007**

```
[Y M D]=datevec(tradingdays);  
last5 =find(Y == 2007 & M == 12, 5, 'last')
```

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## Commands

<code>plot(y)</code>	Plot of data vector or matrix $y$ Note: Matrices plot along rows
<code>plot(x,y)</code>	Plot $x$ against $y$
<code>plot(x,y, '.')</code>	Scatter plot
<code>plot(x,y, 'b-')</code>	Plot with blue line
<code>hist(y)</code>	Histogram
<code>hist(y,n)</code>	... using $n$ bins
<code>surf(X,Y,Z)</code>	3D surface
<code>mesh(X,Y,Z)</code>	3D mesh
<code>plot3(X,Y,Z)</code>	points/line in 3D

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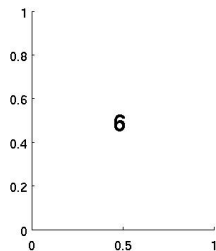
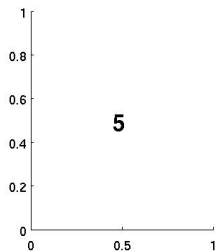
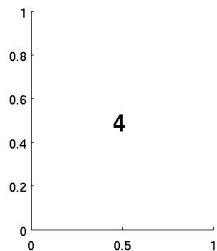
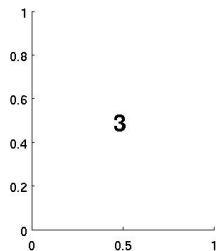
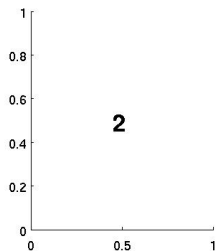
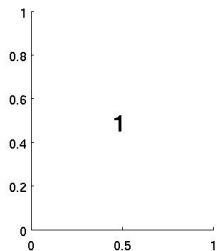
... or use plot tools in Workspace browser

## Useful commands

<code>figure</code>	Open empty figure
<code>close</code>	Close current figure
<code>close all</code>	Close all figures
<code>subplot(r,c,n)</code>	Setup $n$ th plot on $r \times c$ grid

# SUBPLOT EXAMPLE

`subplot(2,3,n)`



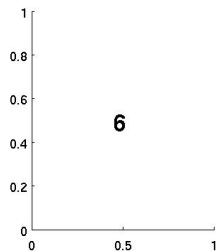
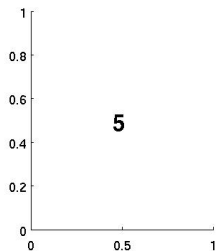
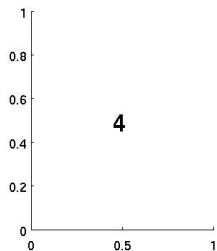
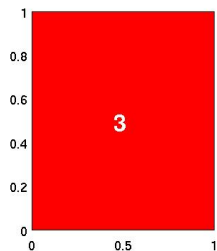
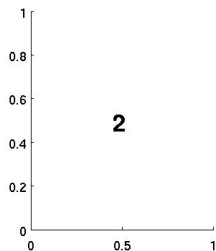
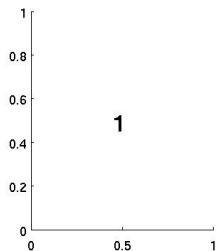
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<b>For example:</b>	
<code>subplot(2,3,3)</code>	Top right plot



# SUBPLOT EXAMPLE

`subplot(2,3,3)`



## Useful commands

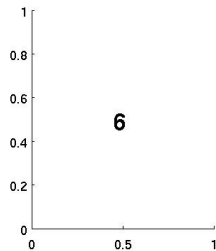
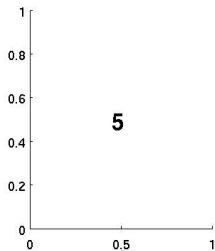
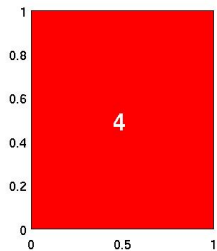
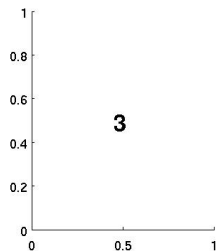
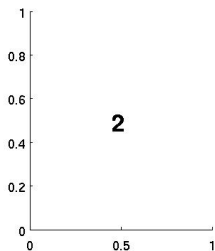
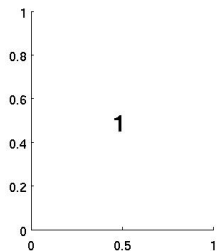
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<code>subplot(r,c,n)</code>	Setup $n$ th plot on $r \times c$ grid

### **For example:**

<code>subplot(2,3,3)</code>	Top right plot
<code>subplot(2,3,4)</code>	Bottom left plot

# SUBPLOT EXAMPLE

`subplot(2,3,4)`



## Useful commands

<code>figure</code>	Open empty figure
<code>close</code>	Close current figure
<code>close all</code>	Close all figures
<code>subplot(r,c,n)</code>	Setup $n$ th plot on $r \times c$ grid

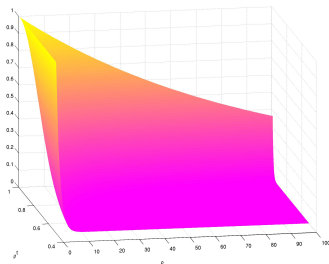
### For example:

<code>subplot(2,3,3)</code>	Top right plot
<code>subplot(2,3,4)</code>	Bottom left plot

See also: `ylabel`, `xlabel`, `title`, `ylim`, `xlim`, `clf`, `cla`

# 3D PLOTS

e.g.: impulse responses of AR(1) with varying persistence



## surfacedemo.m:

```
[LAGS, RHOS] = meshgrid(0:100, .5:.01: .99);  
surf(LAGS, RHOS, RHOS.^LAGS)  
shading interp  
colormap spring
```

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## Freeware

- Compiled by James P. LeSage
- <http://www.spatial-econometrics.com>

## Features

- Common format for results
- Pretty print and plot routines: `prrt` and `plt`
- Good regression library
- Alternatives to MATLAB toolboxes: optimization, date functions, distribution library (I recommend MATLAB)
- More: Gibbs sampling, VAR's etc
- Extensive PDF documentation

```
>> help ols
PURPOSE: least-squares regression
-----
USAGE: results = ols(y,x)
where: y = dependent variable vector
       x = independent variables matrix
-----
RETURNS: a structure
         results.meth = 'ols'
         results.beta = bhat      (nvar x 1)
         results.tstat = t-stats  (nvar x 1)
...

```



Univariate:  $y_t = \alpha + \beta x_t + \varepsilon_t$

```
const = ones(size(x,1), 1);  
reg    = ols(y, [const x]);  
prt(reg);
```

**Univariate:**  $y_t = \alpha + \beta x_t + \varepsilon_t$

```
const = ones(size(x,1). 1);  
reg    = ols(y, [const x]);  
prt(reg);
```

**Multivariate:**  $y_t = \alpha + \beta_1 x_t + \beta_2 z_t + \varepsilon_t$

```
const = ones(size(x,1). 1);  
reg    = ols(y, [const x z]);  
reg.beta(1) % alpha  
reg.beta(2) % beta_1  
reg.beta(3) % beta_2
```

## Using Gali's calibration

- 1 Simulate  $T = 100$  observations for  $\Delta a_t$  and  $g_t$
- 2 Compute observations for  $x_t$ ,  $\pi_t$  and  $i_t$
- 3 Estimate

$$i_t = \phi + \phi_\pi \pi_t + \phi_x x_t + \varepsilon_t$$

- 4 (Discuss your results in light of Cochrane (2007, NBER))
- 5 What would happen if you were to repeat the regressions above ...
  - ... whilst setting  $g_t = 0$  for all observations?
  - ... with  $T = 10,000$  observations?

## AR(1) process

$$y_t = \rho y_{t-1} + \sigma \varepsilon_t \quad \varepsilon_t \sim N(0, 1)$$

## Continuing our earlier exercise ...

- 1 Simulate  $M = 1000$  times and store OLS estimates of  $\rho$
- 2 Plot histogram of  $\hat{\rho}$ : `hist(rhohats, 50)`
- 3 Change  $\rho$  and  $T$

$\rho = 0.99$  and  $T = 100$

